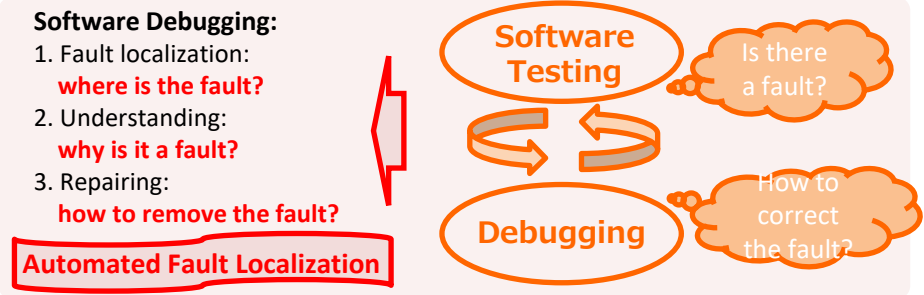


Automatically Finding Bug Locations Program Spectra Visualization and Analysis for Fault Localization

Abstract

Spectrum-Based Fault Localization (SBFL) uses the information derived during testing to identify the faults existing in the subject program. However, because of the diversity of real-life programs and faults, current SBFL techniques cannot adapt all the debugging situations. Without knowing how SBFL works, we cannot get sufficient confidence to use it in practice. In our work, we propose a framework that illustrates the spectra distributions of various debugging instances and the performance of SBFL at these instances in a graphical way. Based on visualization, we can get a better analysis and understanding of the rationales of various instances in which SBFL is applied.

Preliminary



SBFL and Metrics

PG : the subject program; $s \in S$: statements; s^f : faulty statements; $t \in T$: test cases; $s \in C^t$: statements covered by t ; $o^t \in \{pass, fail\}$: the correctness of t

Subject Program

```

Input (wallDis, objDis){
double step, ranDegree;
void (*method)(double, double);
method = &MRRT;
ranDegree = 1;
step = 2;
if(wallDis < 8){
step = 2;
if(wallDis < 5){
ranDegree = 2;
if(wallDis < 1.5)
method = &RRT;
}
}
else{
method = &NN;
}
if(objDis < 10){
step = 1;
method = &MRRT;
ranDegree = 0.5;
}
}
(*method)(step, ranDegree);
return;
    
```

Test Info.

tests	t_1	t_2	t_3	t_4	t_5
Input	1.5, 5.0	10, 5	20, 4.5	4	
S					
s_1
s_2
s_3
s_4
s_5
s_6
s_7
s_8
s_9
s_{10}
s_{11}
s_{12}
s_{13}
s_{14}
s_{15}
s_{16}
output	pass	pass	fail	fail	fail

Components' Spectra

$$a_{ef}(s) = |\{t \in T \mid s \in C^t, o^t = fail\}|$$

#(Failure-revealing test cases that Execute s)

$$a_{ep}(s) = |\{t \in T \mid s \in C^t, o^t = pass\}|$$

#(Passed test cases that Execute s)

Basic Intuitions

- Basic Intuition 1:** Statements covered by more failure-revealing test cases are more likely to be faulty
- Basic Intuition 2:** Statements covered by more passed test cases are less likely to be faulty

Metrics for Scoring Statements $\rightarrow R(s)$

Op: $a_{ef} - a_{ep} / (P + 1)$

Tarantula: $\frac{a_{ef} / F}{a_{ef} / F + a_{ep} / P}$

Ochiai: $\frac{a_{ef}}{\sqrt{F(a_{ef} + a_{ep})}}$

Other Metrics ...

Larger $R(s)$ More likely to be faulty!

Above case: $R(s_5)$ is the largest. It is indeed the fault!

Research Contents

Visualization Framework

Present spectra information within the Spectra Space (SS)

Present statements' spectra info. as image points

The graphical characteristics of 1) the distribution of image points, 2) the shape of Metric Performance Curves \rightarrow

Illustrate SBFL metrics as curves

Analyzing the performances and rationales of various SBFL techniques

Propagation Analysis (EASE'20)

Markovian Model for Fault Propagation

Partitions SS

Points located in the failure-independent and failure exclusionary areas can be filtered!

Filter the green and blue parts can improve SBFL

SBFL Metric Comparison (PRDC'19)

Which SBFL metric is better? \rightarrow

The right and bottom MPCs are better!

Comparison Results (A \rightarrow B means A is better than B)

Spectra of CPS Components

CPS model (e.g. Simulink)

Fuzzy spectra for system hazard (ICECCS'19)

The visualization of CPS and conventional programs are completely different. How should we proceed?